

## **B.Sc-Statistics**

## **COURSE STRUCTURE**

Year	Semester	Course	Title of the Course	No. of Hrs /Week	No. of Credits
Ι	Ι	1	Essentials and Applications of Mathematical, Physical and Chemical Sciences	3+2	4
	Ι	2	Advances in Mathematical, Physical and Chemical Sciences	3+2	4



## SEMESTER-I COURSE 1: ESSENTIALS AND APPLICATIONS OF MATHEMATICAL, PHYSICAL AND CHEMICAL SCIENCES

Theory Credits: 4 5 hrs/week

## **Course Objective:**

The objective of this course is to provide students with a comprehensive understanding of the essential concepts and applications of mathematical, physical, and chemical sciences. The course aims to develop students' critical thinking, problem-solving, and analytical skills in these areas, enabling them to apply scientific principles to real-world situations.

## Learning outcomes:

1. Apply critical thinking skills to solve complex problems involving complex numbers, trigonometric ratios, vectors, and statistical measures.

2. To Explain the basic principles and concepts underlying a broad range of fundamental areas of physics and to Connect their knowledge of physics to everyday situations

3. To Explain the basic principles and concepts underlying a broad range of fundamental areas of chemistry and to Connect their knowledge of chemistry to daily life.

4. Understand the interplay and connections between mathematics, physics, and chemistry in various applications. Recognize how mathematical models and physical and chemical principles can be used to explain and predict phenomena in different contexts.

5 To explore the history and evolution of the Internet and to gain an understanding of network security concepts, including threats, vulnerabilities, and countermeasures.

## UNIT I: ESSENTIALS OF MATHEMATICS:

**Complex Numbers:** Introduction of the new symbol i – General form of a complex number – Modulus-Amplitude form and conversions

Trigonometric Ratios: Trigonometric Ratios and their relations - Problems on calculation of

angles Vectors: Definition of vector addition - Cartesian form - Scalar and vector product

andproblems Statistical Measures: Mean, Median, Mode of a data and problems

## **UNIT II: ESSENTIALS OF PHYSICS:**

Definition and Scope of Physics- Measurements and Units - Motion of objects: Newtonian Mechanics and relativistic mechanics perspective - Laws of Thermodynamics and Significance- Acoustic waves and electromagnetic waves- Electric and Magnetic fields and their interactions- Behaviour of atomic and nuclear particles- Wave-particle duality, the uncertainty principle- Theories and understanding of universe



## UNIT III: ESSENTIALS OF CHEMISTRY:

Definition and Scope of Chemistry- Importance of Chemistry in daily life -Branches of chemistry and significance- Periodic Table- Electronic Configuration, chemical changes, classification of matter, Biomolecules- carbohydrates, proteins, fats and vitamins.

## UNIT IV: APPLICATIONS OF MATHEMATICS, PHYSICS & CHEMISTRY:

**Applications of Mathematics in Physics & Chemistry:** Calculus, Differential Equations & Complex Analysis

**Application of Physics in Industry and Technology**: Electronics and Semiconductor Industry, Robotics and Automation, Automotive and Aerospace Industries, Quality Control and Instrumentation, Environmental Monitoring and Sustainable Technologies.

**Application of Chemistry in Industry and Technology:** Chemical Manufacturing, Pharmaceuticals and Drug Discovery, Materials Science, Food and Beverage Industry.

## UNIT V: ESSENTIALS OF COMPUTER SCIENCE:

Milestones of computer evolution - Internet, history, Internet Service Providers, Types of Networks, IP, Domain Name Services, applications.

**Ethical and social implications:** Network and security concepts- Information Assurance Fundamentals, Cryptography-Symmetric and Asymmetric, Malware, Firewalls, Fraud Techniques- Privacy and Data Protection

## **Recommended books:**

- 1. Functions of one complex variable by John.B.Conway, Springer- Verlag.
- 2. Elementary Trigonometry by H.S.Hall and S.R.Knight
- 3. Vector Algebra by A.R. Vasishtha, Krishna Prakashan Media(P)Ltd.
- 4. Basic Statistics by B.L. Agarwal, New age international Publishers
- 5. University Physics with Modern Physics by Hugh D. Young and Roger A. Freedman
- 6. Fundamentals of Physics by David Halliday, Robert Resnick, and Jearl Walker

7. Physics for Scientists and Engineers with Modern Physics" by Raymond A. Serway and John W. Jewett Jr.

- 8. Physics for Technology and Engineering" by John Bird
- 9. Chemistry in daily life by Kirpal Singh
- 10. Chemistry of bio molecules by S. P. Bhutan
- 11. Fundamentals of Computers by V. Raja Raman
- 12. Cyber Security Essentials by James Graham, Richard Howard, Ryan Olson



## STUDENT ACTIVITIES

## UNIT I: ESSENTIALS OF MATHEMATICS:

1: Complex Number Exploration

Provide students with a set of complex numbers in both rectangular and polar forms.

They will plot the complex numbers on the complex plane and identify their properties

2: Trigonometric Ratios Problem Solving

Give students a set of problems that require the calculation of trigonometric ratios and their relations.

Students will solve the problems using the appropriate trigonometric functions (sine, cosine, tangent, etc.) and trigonometric identities.

3: Vector Operations and Applications

Provide students with a set of vectors in Cartesian form.

Students will perform vector addition and subtraction operations to find the resultant vectors.

They will also calculate the scalar and vector products of given vectors.

4: Statistical Measures and Data Analysis

Give students a dataset containing numerical values.

Students will calculate the mean, median, and mode of the data, as well as other statistical measures if appropriate (e.g., range, standard deviation).

They will interpret the results and analyze the central tendencies and distribution of the data.

## **UNIT II: ESSENTIALS OF PHYSICS:**

1. Concept Mapping

Divide students into groups and assign each group one of the topics.

Students will create a concept map illustrating the key concepts, relationships, and applications related to their assigned topic.

Encourage students to use visual elements, arrows, and labels to represent connections and interdependencies between concepts.

#### 2. Laboratory Experiment

Select a laboratory experiment related to one of the topics, such as motion of objects or electric and magnetic fields.

Provide the necessary materials, instructions, and safety guidelines for conducting the experiment.

Students will work in small groups to carry out the experiment, collect data, and analyze the results.

After the experiment, students will write a lab report summarizing their findings, observations, and conclusions.





## **UNIT III: ESSENTIALS OF CHEMISTRY**

1: Chemistry in Daily Life Presentation

Divide students into groups and assign each group a specific aspect of daily life where chemistry plays a significant role, such as food and nutrition, household products, medicine, or environmental issues.

Students will research and create a presentation (e.g., PowerPoint, poster, or video) that showcases the importance of chemistry in their assigned aspect.

2: Periodic Table Exploration

Provide students with a copy of the periodic table.

Students will explore the periodic table and its significance in organizing elements based on their properties.

They will identify and analyze trends in atomic structure, such as electronic configuration, atomic size, and ionization energy.

3: Chemical Changes and Classification of Matter

Provide students with various substances and chemical reactions, such as mixing acids and bases or observing a combustion reaction.

Students will observe and describe the chemical changes that occur, including changes in color, temperature, or the formation of new substances.

4: Biomolecules Investigation

Assign each student or group a specific biomolecule category, such as carbohydrates, proteins, fats, or vitamins.

Students will research and gather information about their assigned biomolecule category, including its structure, functions, sources, and importance in the human body.

They can create informative posters or presentations to present their findings to the class.

## UNIT IV: APPLICATIONS OF MATHEMATICS, PHYSICS & CHEMISTRY

1: Interdisciplinary Case Studies

Divide students into small groups and provide them with interdisciplinary case studies that involve the interdisciplinary application of mathematics, physics, and chemistry.

Each case study should present a real-world problem or scenario that requires the integration of concepts from all three disciplines.

2: Design and Innovation Project

Challenge students to design and develop a practical solution or innovation that integrates mathematics, physics, and chemistry principles.

Students can choose a specific problem or area of interest, such as renewable energy, environmental conservation, or materials science.



## 3: Laboratory Experiments

Assign students laboratory experiments that demonstrate the practical applications of mathematics, physics, and chemistry.

Examples include investigating the relationship between concentration and reaction rate, analyzing the behavior of electrical circuits, or measuring the properties of materials.

.4: Mathematical Modeling

Present students with real-world problems that require mathematical modeling and analysis.

## UNIT V: ESSENTIALS OF COMPUTER SCIENCE:

1. Identifying the attributes of network (Topology, service provider, IP address and bandwidth of

- 2. your college network) and prepare a report covering network architecture.
- 3. Identify the types of malwares and required firewalls to provide security.
- 4. Latest Fraud techniques used by hackers.





## Course – I & II Model Paper Time: 3Hrs (70 Marks)

<u>S1</u>	ECTION A (Multiple Choice Questions)	$30 \ x \ 1 = 30 \ M$
30 Multiple Choice Question	s (Each Unit 6 Questions)	

<u>SECTION B (Fill in the blanks)</u>	$10 \ x \ 1 = 10 \ M$
10 Fill in the Blanks (Each Unit 2 Questions)	

<b>SECTION C</b>	Very short answer qu	<u>uestions)</u>	$10 \ x \ 1 = 10 \ M$

10 Very short answer questions (Each Unit 2 Questions)

	SECTION D (Matching) (From 5 Units)	2 x 5 = 10 M
1 A		
В		
С		
D		
E		
2 A		
В		
С		
D		
E		

SECTION E (True or False)

 $10 \ x \ 1 = 10 \ M$ 

10 True or False (Each Unit 2 Questions)



## Single Major (w.e.f. AY 2023-24) SEMESTER-I COURSE – 1 ESSENTIALS AND APPLICATIONS OF MATHEMATICAL, PHYSICAL & CHEMICAL SCIENCES

	Time:3hrs					MAX MARKS: 70 M			
Ι	Multiple Cho	ice Questic	ons					3x10=30M	
1.	If $\operatorname{Arg}(Z) < 0$ the	$e \operatorname{Arg}(-Z) - a$	arg(Z) =				[	]	
	a) $\pi$ b)	$\frac{-\pi}{4}$	c) $\frac{-\pi}{2}$	d) $\frac{\pi}{2}$					
2.	If $\left  \frac{Z_1}{Z_2} \right  = 1$ and A	$rg(Z_1Z_2) = 0$	then				[	]	
	a) $Z_1 = Z_2$ b)	$ Z_1 ^2 = Z_1 Z_2$	c) $Z_1 Z_2 = 1$	d) None of the	se				
3.	The value of sin	$50^{\circ} - \sin 70^{\circ}$	+ sin $10^{\circ}$ is equ	al to			[	]	
	a) 1 b)	) 0	c) ½	d) 2					
4.	If $\overline{a} + m\overline{b} + 3\overline{c}$ ,	$-2\overline{a}+3\overline{b}-5\overline{c}$	$\bar{a}$ and $\bar{a} - 3\bar{b} - 3\bar{b}$	$5c^{-}$ are coplanar	: m=	[	]		
	a) 2 b)	) -1	c) 1	d) -9/7					
5.	If the vectors $2\overline{i}$	$+\lambda \bar{j} - k$ and	$4\overline{i} - 2\overline{j} + 2\overline{k}$ a	are perpendicula	ar to eacl	h other,			
	then								
	$\lambda$ =					[	]		
	a) 2 b)	) 5	c) 3	d) 1					
6.	Find the mode for	or the following	ng data 0,0,1,1	,2,2,2,4,5.		[ ]	]		
	a) 1 b)	) 0	c) 4	d) 2					
7.	Newton - Secon	d is the unit o	of			[ ]			
	a) Velocity	b) Ang	ular Momentu	m	c) Mom	entum o	l) En	ergy	
8.	If the force appli	ed to a body	is doubled and	the mass is cut	in half.	What			
	would be the acce	eleration ratio	o?			[ ]			
	a) 1:2 b)	) 2:1	c) 1:4	d) 4:1					
9.	Which unit is use	ed to measure	angle the S.I	system?		[ ]	]		
	a) Radian	b) Stera	adian c) Deg	gree	d) Minu	te			
10.	The mass – Ener	gy relation is	given by			[ ]	]		
	a) $E = mc^2$	b) $F = 1$	na	c) $P = mv$	(	d) W =	Fd		
11.	How many types	of Robots ar	e there			[	]		
	a) 7	b) 10		c) 6	(	d) 8			
12.	Light energy em	itted by stars	is due to			[	]		
	a) Breaking of m	uclei	b) Join	ing of nucles					
	c) Burning of nu	clei	d) Ref	lection of Solar	Light				
13.	Organic chemist	ry is the study	y of	·	-	[ ]	]		
	a) Nitrogen base	d compounds	b) Carbon bas	ed compounds					
	c) Copper based	compounds	d) Chr	omium based co	ompound	ls			
14.	Number of electr	rons present i	n outer shell o	f chlorine atom	is [	]			
	a) 5 b)	) 6	c) 7	d) 8					
15.	Which of the fol	lowing is a di	sacchanide		[	]			
	a) Sucrose	b) Gluc	cose	c) Fructose	(	d) Ribo	se		
16.	The Monomers p	present in pro	teins are		[	]			
	a) Alcohols	b) Acid	s	c) Amino acida	s (	d) Ester	S		
17.	Lipids composed	l mainly of				[ .	]		
	a) C, H, N	b) C, H	, O	c) O, N, S	(	d) N, S,	Cl		



18.	Vitamin by is also known as [ ]		
	a) Vitamin – H b) Vitamin – O c) Vitamin – Bd) Vitamin –	L	
19.	Who is introduced in Calculus . [ ]		
	a) Isaac Newton b) Goff fried Leibniz		
	c) Both of the mentioned d) None of the mentioned		
20.	How many systems does a robot have		
	a) 2 b) 6 c) 4 d) 3		
21.	A place where power information (or) a result leaves a system.	1	
21.	a) Chassis b) Output c) Sensor d) Inr	unt L	
22	The main electronic component used in first generation computers was	[]	
	a) Transistors b) Vacuum Tubes and Valves	LJ	
	c) Integrated Circuits d) None of above		
23	Magnetic disk is an example of	Г	1
23.	a) Secondary memory b) Primary memory	L	1
	c) Main memory d) Both $1 \& 2$		
24	http stands for	ſ	1
24.	a) hypertext transfer protocol	L	1
	a) high transfer transport protocol d) hypertext transfer text protocol		
25	What is the full form of WWW2	г	1
23.	a) World Wide Web	L	1
	a) Work Wide Web b) World With Web		
26	Which one of the following is a type of antivirus program?	1	
20.	a) Quick heal	]	
	a) Quick heal b) Micaree		
07	c) Kaspersky d) All of the above	1	
27.	Hackers usually used the computer virus for purpose.	]	
	a) To log, monitor each and every user's stroke		
	b) To gain access the sensitive information like user's 1d and Passwords		
	c) To corrupt the user's data stored in the computer system		
20	d) All of the above	1	
28.	which of the following is an example of I BDD screening technique	]	
20	a) U v spectroscopy b) HPLC c) NMR spectroscopy d) No	ne	
29.	Fertilizers mainly consists of		
20	a) N, P, K b) O, N, Cl c) C, O, K d) H,	P, O	
30.	The substance that facilitate chemical reactions without being consumed	is	
		]	
	a) Reactions b) Product c) Catalyst d) Innibin		
	SECTION D		
тт	$\frac{SECTION - D}{SECTION}$	10-	_1
11	Fill in the Blanks	102	KT=
1.	Find the value of $\sqrt{3}\cos ec 20^\circ - \sec 20^\circ$ is		
2	The area of the parallelogram whose diagonals are $3i + i - 2k$ and $i - 3k$	$+4k^{\Delta}$	
	is		
3	is the number of cycles made by a sounding body per unit	time	
з. Л	A light year is a unit of	ume.	
+. 5	$\frac{1}{2} = \frac{1}{2} = \frac{1}$		
J.			

Peptide bond formula \_\_\_\_\_\_. 6.

- 7.
- A robot is a \_\_\_\_\_\_. Differential equations that \_\_\_\_\_\_ the definition of linear are nonlinear. 8.
- A string of 8 bits is \_\_\_\_\_ 9.
- ROM stands for \_\_\_\_\_ 10.

=10M



## **SECTION – C**

## **III** Answer the following Short Questions

10x1=10M

10x1=10M

- 1. If  $3 \tan A = 5$  then Find Sin A and Cos A.
- 2. Find A.M from the following distribution.

Wages	100	120	140	160	180	200
No of workers	4	8	12	7	6	3

- 3. Write any two applications of Semi Conductor?
- 4. Define Zeroth law of Thermodynamics? with example.
- 5. Expand FBDD.
- 6. What are fat soluble vitamins?
- 7. Define Newton's 1<sup>st</sup> Law.
- 8. Write any two application of Environmental monitoring?
- 9. What is E-mail?

1.

2.

10. What is a gateway?

## <u>SECTION – D</u>

## **III** Match the following

A. Unit Vector in the		
direction $\overline{a} = 3\overline{i} - 2\overline{j} + 6\overline{k}$	(	) a) Angular Momentum
B. Polar form $-1 + \sqrt{3}i$	(	) b) Glucose
C. Joule x Sec	(	) c) $\frac{1}{7} \left( 3\overline{i} - 2\overline{j} + 6\overline{k} \right)$
D. Mass of a proton	(	) d) $2\left[\cos\left(\frac{2\pi}{3}\right) + i\sin\left(\frac{2\pi}{3}\right)\right]$
E. Reducing Sugar	(	) e) 1.676 x 10 <sup>-24</sup> grams
A. Vitamin – B12	(	) a) Newton
B. Force	(	) b) Newton second
C. Impulse	Ì	) c) RBC formation
D. Punch Card	Ì	) d) Computer games
E. Joy Stick	Ì	) e) Hollerith code



## <u>SECTION – E</u>

## IV True (or) False

10x1=10M

- 1. If  $\overline{Z}$  is a complex number then  $Z\overline{Z}$  is purely real.
- 2. If Z is a complex number such that  $Z^2 = (\overline{Z})^2$  then purely real.
- 3. The Mass of a body is equivalent to the ratio of the force action on it to the acceleration it generates.
- 4. The region of the atmosphere above troposphere is known as Lithosphere.
- 5. Essential Amino acids can be synthesized by the human body
- 6. Electrons fill the lowest energy levels first
- 7. For every action is nature here is an unequal and opposite reaction.
- 8. The special theory of relativity is concerned with frames of reference that are not experiencing any acceleration.
- 9. A terabyte is equal to 1 million gigabytes
- 10. Remote browser access is used to avoid browser-based hacking.



## SEMESTER-I COURSE 2: ADVANCES IN MATHEMATICAL, PHYSICALAND CHEMICAL SCIENCES

Theory	Credits: 4	5 hrs/week
-		

## **Course Objective:**

The objective of this course is to provide students with an in-depth understanding of the recent advances and cutting-edge research in mathematical, physical, and chemical sciences. The course aims to broaden students' knowledge beyond the foundational concepts and expose them to the latest developments in these disciplines, fostering critical thinking, research skills, and the ability to contribute to scientific advancements.

## Learning outcomes:

1. Explore the applications of mathematics in various fields of physics and chemistry, to understand how mathematical concepts are used to model and solve real-world problems.

2. To Explain the basic principles and concepts underlying a broad range of fundamental areas of physics and to Connect their knowledge of physics to everyday situations.

3. Understand the different sources of renewable energy and their generation processes and advances in nanomaterials and their properties, with a focus on quantum dots. To study the emerging field of quantum communication and its potential applications. To gain an understanding of the principles of biophysics in studying biological systems. Explore the properties and applications of shape memory materials.

3. Understand the principles and techniques used in computer-aided drug design and drug delivery systems, to understand the fabrication techniques and working principles of nanosensors. Explore the effects of chemical pollutants on ecosystems and human health.

4. Understand the interplay and connections between mathematics, physics, and chemistry in various advanced applications. Recognize how mathematical models and physical and chemical principles can be used to explain and predict phenomena in different contexts.

5 Understand and convert between different number systems, such as binary, octal, decimal, and hexadecimal. Differentiate between analog and digital signals and understand their characteristics. Gain knowledge of different types of transmission media, such as wired (e.g., copper cables, fiber optics) and wireless (e.g., radio waves, microwave, satellite).

## **UNIT I: ADVANCES IN BASICS MATHEMATICS**

**Straight Lines:** Different forms – Reduction of general equation into various forms – Point of intersection of two straight lines

**Limits and Differentiation:** Standard limits – Derivative of a function –Problems on product rule and quotient rule

Integration: Integration as a reverse process of differentiation – Basic methods of integration



**Matrices:** Types of matrices – Scalar multiple of a matrix – Multiplication of matrices – Transpose of a matrix and determinants

## UNIT II: ADVANCES IN PHYSICS:

**Renewable energy**: Generation, energy storage, and energy-efficient materials and devices. **Recent advances in the field of nanotechnology**: Quantum dots, Quantum Communication-recent advances in biophysics- recent advances in medical physics- Shape Memory Materials.

## UNIT III: ADVANCES IN CHEMISTRY:

Computer aided drug design and delivery, nano sensors, Chemical Biology, impact of chemical pollutants on ecosystems and human health, Dye removal - Catalysis method

## UNIT IV: ADVANCED APPLICATIONS OF MATHEMATICS, PHYSICS & CHEMISTRY

Mathematical Modelling applications in physics and chemistry

Application of Renewable energy: Grid Integration and Smart Grids,

Application of nanotechnology: Nanomedicine,

Application of biophysics: Biophysical Imaging, Biomechanics, Neurophysics,

Application of medical physics: Radiation Therapy, Nuclear medicine

Solid waste management, Environmental remediation- Green Technology, Water treatment.

## **UNIT V: Advanced Applications of computer Science**

Number System-Binary, Octal, decimal, and Hexadecimal, Signals-Analog, Digital, Modem, Codec, Multiplexing, Transmission media, error detection and correction- Parity check and CRC, Networking devices- Repeater, hub, bridge, switch, router, gateway. **Recommended books:** 

## Recommended books:

- 1. Coordinate Geometry by S.L.Lony, Arihant Publications
- 2. Calculus by Thomas and Finny, Pearson Publications
- 3. Matrices by A.R.Vasishtha and A.K.Vasishtha, Krishna Prakashan Media(P)Ltd.
- 4. "Renewable Energy: Power for a Sustainable Future" by Godfrey Boyle
- 5. "Energy Storage: A Nontechnical Guide" by Richard Baxter

6. "Nanotechnology: Principles and Applications" by Sulabha K. Kulkarni and Raghvendra A. Bohara

- 7. "Biophysics: An Introduction" by Rodney Cotterill
- 8. "Medical Physics: Imaging" by James G. Webster
- 9. "Shape Memory Alloys: Properties and Applications" by Dimitris C. Lagoudas
- 10. Nano materials and applications by M.N.Borah
- 11. Environmental Chemistry by Anil.K.D.E.
- 12. Digital Logic Design by Morris Mano
- 13. Data Communication & Networking by Bahrouz Forouzan.



## STUDENT ACTIVITIES

## UNIT I: ADVANCES IN BASIC MATHEMATICS

1: Straight Lines Exploration

Provide students with a set of equations representing straight lines in different forms, such as slope-intercept form, point-slope form, or general form.

Students will explore the properties and characteristics of straight lines, including their slopes, intercepts, and point of intersection. 2: Limits and Differentiation Problem Solving

Students will apply the concept of limits to solve various problems using standard limits.

Encourage students to interpret the results and make connections to real-world applications, such as analyzing rates of change or optimizing functions.

**3: Integration Exploration** 

Students will explore the concept of integration as a reverse process of differentiation and apply basic methods of integration, such as the product rule, substitution method, or integration by parts.

Students can discuss the significance of integration in various fields, such as physics and chemistry

4: Matrices Manipulation

Students will perform operations on matrices, including scalar multiplication, matrix multiplication, and matrix transpose.

Students can apply their knowledge of matrices to real-world applications, such as solving systems of equations or representing transformations in geometry.

## **UNIT II: ADVANCES IN PHYSICS:**

1: Case Studies

Provide students with real-world case studies related to renewable energy, nanotechnology, biophysics, medical physics, or shape memory materials.

Students will analyze the case studies, identify the challenges or problems presented, and propose innovative solutions based on the recent advances in the respective field. They will consider factors such as energy generation, energy storage, efficiency, sustainability, materials design, biomedical applications, or technological advancements. 2: Experimental Design

Assign students to design and conduct experiments related to one of the topics: renewable energy, nanotechnology, biophysics, medical physics, or shape memorymaterials.



They will identify a specific research question or problem to investigate and design an experiment accordingly.

Students will collect and analyze data, interpret the results, and draw conclusions based on their findings.

They will discuss the implications of their experimental results in the context of recent advances in the field.

3: Group Discussion and Debate

Organize a group discussion or debate session where students will discuss the ethical, social, and environmental implications of the recent advances in renewable energy, nanotechnology, biophysics, medical physics, and shape memory materials.

Assign students specific roles, such as proponent, opponent, or moderator, and provide them with key points and arguments to support their positions.

## UNIT III: ADVANCES IN CHEMISTRY:

1. Experimental Design and Simulation

In small groups, students will design experiments or simulations related to the assigned topic.

For example, in the context of computer-aided drug design, students could design a virtual screening experiment to identify potential drug candidates for a specific disease target.

For nano sensors, students could design an experiment to demonstrate the sensitivity and selectivity of nano sensors in detecting specific analytes. Chemical biology-related activities could involve designing experiments to study

enzyme-substrate interactions or molecular interactions in biological systems. Students will perform their experiments or simulations, collect data, analyze the results, and draw conclusions based on their findings.

2. Case Studies and Discussion

Provide students with real-world case studies related to the impact of chemical pollutants oneco systems and human health.

Students will analyze the case studies, identify the sources and effects of chemical pollutants, and propose mitigation strategies to minimize their impact.

Encourage discussions on the ethical and environmental considerations when dealing with chemical pollutants.

For the dye removal using the catalysis method, students can explore case studies where catalytic processes are used to degrade or remove dyes from wastewater.

Students will discuss the principles of catalysis, the advantages and limitations of the catalysis method, and its applications in environmental remediation. 3: Group Project

Assign students to work in groups to develop a project related to one of the topics.

The project could involve designing a computer-aided drug delivery system, developing a nano sensor for a specific application, or proposing strategies to mitigate the impact of



chemical pollutants on ecosystems.

Students will develop a detailed project plan, conduct experiments or simulations, analyze data, and present their findings and recommendations.

Encourage creativity, critical thinking, and collaboration throughout the project.

# UNIT IV: ADVANCED APPLICATIONS OF MATHEMATICS, PHYSICS & CHEMISTRY

1: Mathematical Modelling Experiment

Provide students with a mathematical modelling experiment related to one of the topics. For example, in the context of renewable energy, students can develop a mathematical model to optimize the placement and configuration of solar panels in a solar farm.

Students will work in teams to design and conduct the experiment, collect data, and analyze the results using mathematical models and statistical techniques.

They will discuss the accuracy and limitations of their model, propose improvements, and interpret the implications of their findings in the context of renewable energy or the specific application area. 2: Case Studies and Group Discussions

Assign students to analyze case studies related to the applications of mathematical modelling in nanotechnology, biophysics, medical physics, solid waste management, environmental remediation, or water treatment.

Students will discuss the mathematical models and computational methods used in the case studies, analyze the outcomes, and evaluate the effectiveness of the modelling approach. Encourage group discussions on the challenges, ethical considerations, and potential advancements in the field.

Students will present their findings and engage in critical discussions on the advantages and limitations of mathematical modelling in solving complex problems in these areas.

3. Group Project

Assign students to work in groups to develop a group project that integrates mathematical modelling with one of the application areas: renewable energy, nanotechnology, biophysics, medical physics, solid waste management, environmental remediation, or water treatment.

The project could involve developing a mathematical model to optimize the delivery of radiation therapy in medical physics or designing a mathematical model to optimize waste management practices.

Students will plan and execute their project, apply mathematical modelling techniques, analyze the results, and present their findings and recommendations. Encourage creativity, critical thinking, and collaboration throughout the project.

## **UNIT V: Advanced Applications of computer Science**

Students must be able to convert numbers from other number system to binary number systems

- 1. Identify the networking media used for your college network
- 2. Identify all the networking devices used in your college premises.



## Course – I & II Model Paper Time: 3Hrs (70 Marks)

<u>SECTION A (Multiple Choice Questions)</u>	$30 \ x \ 1 = 30 \ M$
30 Multiple Choice Questions (Each Unit 6 Questions)	
<u>SECTION B (Fill in the blanks)</u>	10 x 1 = 10 M
10 Fill in the Blanks (Each Unit 2 Questions)	
<u>SECTION C (Very short answer questions)</u> 10 Very short answer questions (Each Unit 2 Ouestions)	10 x 1 = 10 M
<u>SECTION D (Matching) (From 5 Units)</u>	2 x 5 = 10 M
1 A	
B	
C	
D	
E	
2 A	
B	
C	
D	
E	

SECTION E (True or False)

 $10 \ x \ 1 = 10 \ M$ 

10 True or False (Each Unit 2 Questions)



## Single Major (w.e.f. AY 2023-24) SEMESTER-I Model Paper

COURSE -2 ADVANCES OF MATHEMATICAL, PHYSICAL & CHEMICAL SCIENCES Time: 3Hrs MAX MARKS: 70 M

1. The equation of the line passing through the point (1, 2) and perpendicular to the line x+y+1=0 is (a) y-x+1=0 b) y-x-1=0 c) y-x+2=0 d) y-x-2=0 2. $x \xrightarrow{L^{L}} 0 \frac{1-\cos 2x}{x^2}$ is equal to [] (a) 0 b) 1 c) 2 d) 4 3. The derivative of $\cos^{-1}(2x^2-1)$ w.r.to $\cos^{-1}(x)$ is [] (a) 2 b) $\frac{-1}{2\sqrt{1-x^2}}$ c) $\frac{2}{x}$ d) 1- x <sup>2</sup> 4. $\int e^{\tan x} \sec^2 x  dx =$ [] (a) $e^{\tan x}$ b) $e^{\sin x}$ c) $\tan x$ d) $\sin x$ 5. If $2x + y = \begin{bmatrix} 1 & 0 \\ -3 & 2 \end{bmatrix}$ and $2x - y = \begin{bmatrix} 3 & 4 \\ -1 & 2 \end{bmatrix}$ then X is equal to [] (a) $\begin{bmatrix} 4 & 4 \\ -4 & 4 \end{bmatrix}$ b) $\begin{bmatrix} 1 & 1 \\ -1 & 1 \end{bmatrix}$ c) $\begin{bmatrix} -1 & -2 \\ -1 & 0 \end{bmatrix}$ d) None of these 6. If $A = [aij]_{non}$ such that aij = 0 for $i \neq j$ then A is []] (a) a row matrix b) a column matrix (b) a column matrix c) a diagonal matrix d) a scalar matrix	Ι	Multiple Choice Questions	3x1	0=30M
1. The equation of the line passing through the point (1, 2) and perpendicular to the line x+y+1=0 is (a) y-x+1=0 b) y-x-1=0 c) y-x+2=0 d) y-x-2=0 2. $x \xrightarrow{L^{11}} 0 \frac{1-\cos 2x}{x^2}$ is equal to [] (a) 0 b) 1 c) 2 d) 4 3. The derivative of $\cos^{-1}(2x^2-1)$ w.r.to $\cos^{-1}(x)$ is [] (a) 2 b) $\frac{-1}{2\sqrt{1-x^2}}$ c) $\frac{2}{x}$ d) 1-x^2 4. $\int e^{\tan x} \sec^2 x  dx =$ [] (a) $e^{\tan x}$ b) $e^{\sin x}$ c) $\tan x$ d) $\sin x$ 5. If $2x + y = \begin{bmatrix} 1 & 0 \\ -3 & 2 \end{bmatrix}$ and $2x - y = \begin{bmatrix} 3 & 4 \\ -1 & 2 \end{bmatrix}$ then X is equal to [] (a) $\begin{bmatrix} 4 & 4 \\ -4 & 4 \end{bmatrix}$ b) $\begin{bmatrix} 1 & 1 \\ -1 & 1 \end{bmatrix}$ c) $\begin{bmatrix} -1 & -2 \\ -1 & 0 \end{bmatrix}$ d) None of these 6. If $A = [aij]_{max}$ such that aij = 0 for $i \neq j$ then A is []] (a) a row matrix b) a column matrix c) a diagonal matrix d) a scalar matrix		<u>SECTION – A</u>		
a) $y-x+1=0$ b) $y-x-1=0$ c) $y-x+2=0$ d) $y-x-2=0$ 2. $x \xrightarrow{L} 0 \frac{1-\cos 2x}{x^2}$ is equal to [] a) 0 b) 1 c) 2 d) 4 3. The derivative of $\cos^{-1}(2x^2-1)$ w.r.to $\cos^{-1}(x)$ is [] a) 2 b) $\frac{-1}{2\sqrt{1-x^2}}$ c) $\frac{2}{x}$ d) $1-x^2$ 4. $\int e^{\tan x} \sec^2 x  dx =$ [] a) $e^{\tan x}$ b) $e^{\sin x}$ c) $\tan x$ d) $\sin x$ 5. If $2x + y = \begin{bmatrix} 1 & 0 \\ -3 & 2 \end{bmatrix}$ and $2x - y = \begin{bmatrix} 3 & 4 \\ -1 & 2 \end{bmatrix}$ then X is equal to [] a) $\begin{bmatrix} 4 & 4 \\ -4 & 4 \end{bmatrix}$ b) $\begin{bmatrix} 1 & 1 \\ -1 & 1 \end{bmatrix}$ c) $\begin{bmatrix} -1 & -2 \\ -1 & 0 \end{bmatrix}$ d) None of these 6. If $A = [aij]_{max}$ such that $aij = 0$ for $i \neq j$ then A is [] a) a row matrix b) a column matrix c) a diagonal matrix d) a scalar matrix	1.	The equation of the line passing through the point $(1, 2)$ and per	rpendicular to the	e line $x+y+1=0$ is
2. $x \xrightarrow{L}{\rightarrow} 0 \frac{1 - \cos 2x}{x^2}$ is equal to [] a) 0 b) 1 c) 2 d) 4 3. The derivative of $\cos^{-1}(2x^2 - 1)$ w.r.to $\cos^{-1}(x)$ is [] a) 2 b) $\frac{-1}{2\sqrt{1 - x^2}}$ c) $\frac{2}{x}$ d) 1 - $x^2$ 4. $\int e^{\tan x} \sec^2 x  dx = []$ a) $e^{\tan x}$ b) $e^{\sin x}$ c) $\tan x$ d) $\sin x$ 5. If $2x + y = \begin{bmatrix} 1 & 0 \\ -3 & 2 \end{bmatrix}$ and $2x - y = \begin{bmatrix} 3 & 4 \\ -1 & 2 \end{bmatrix}$ then X is equal to [] a) $\begin{bmatrix} 4 & 4 \\ -4 & 4 \end{bmatrix}$ b) $\begin{bmatrix} 1 & 1 \\ -1 & 1 \end{bmatrix}$ c) $\begin{bmatrix} -1 & -2 \\ -1 & 0 \end{bmatrix}$ d) None of these 6. If $A = [aij]_{max}$ such that $aij = 0$ for $i \neq j$ then A is [] a) a row matrix b) a column matrix c) a diagonal matrix d) a scalar matrix		a) $v-x+1=0$ b) $v-x-1=0$ c) $v-x+2=0$	d) v-x-2=0	]
2. $x \to 0 \frac{1}{x^2}$ is equal to [] a) 0 b) 1 c) 2 d) 4 3. The derivative of $\cos^{-1}(2x^2 - 1)$ w.r.to $\cos^{-1}(x)$ is [] a) 2 b) $\frac{-1}{2\sqrt{1-x^2}}$ c) $\frac{2}{x}$ d) 1-x <sup>2</sup> 4. $\int e^{\tan x} \sec^2 x  dx =$ [] a) $e^{\tan x}$ b) $e^{\sin x}$ c) $\tan x$ d) $\sin x$ 5. If $2x + y = \begin{bmatrix} 1 & 0 \\ -3 & 2 \end{bmatrix}$ and $2x - y = \begin{bmatrix} 3 & 4 \\ -1 & 2 \end{bmatrix}$ then X is equal to [] a) $\begin{bmatrix} 4 & 4 \\ -4 & 4 \end{bmatrix}$ b) $\begin{bmatrix} 1 & 1 \\ -1 & 1 \end{bmatrix}$ c) $\begin{bmatrix} -1 & -2 \\ -1 & 0 \end{bmatrix}$ d) None of these 6. If $A = [aij]_{min}$ such that $aij = 0$ for $i \neq j$ then A is [] a) a row matrix b) a column matrix c) a diagonal matrix d) a scalar matrix	-	$u = 1 - \cos 2x$	<i>, j _</i> .	_
a) 0 b) 1 c) 2 d) 4 3. The derivative of $\cos^{-1}(2x^2 - 1)$ w.r.to $\cos^{-1}(x)$ is [] a) 2 b) $\frac{-1}{2\sqrt{1-x^2}}$ c) $\frac{2}{x}$ d) 1-x <sup>2</sup> 4. $\int e^{\tan x} \sec^2 x  dx =$ [] a) $e^{\tan x}$ b) $e^{\sin x}$ c) $\tan x$ d) $\sin x$ 5. If $2x + y = \begin{bmatrix} 1 & 0 \\ -3 & 2 \end{bmatrix}$ and $2x - y = \begin{bmatrix} 3 & 4 \\ -1 & 2 \end{bmatrix}$ then X is equal to [] a) $\begin{bmatrix} 4 & 4 \\ -4 & 4 \end{bmatrix}$ b) $\begin{bmatrix} 1 & 1 \\ -1 & 1 \end{bmatrix}$ c) $\begin{bmatrix} -1 & -2 \\ -1 & 0 \end{bmatrix}$ d) None of these 6. If $A = \begin{bmatrix} aij \end{bmatrix}_{nxn}$ such that $aij = 0$ for $i \neq j$ then A is [] a) a row matrix b) a column matrix c) a diagonal matrix d) a scalar matrix	2.	$x \to 0$ is equal to	l	]
3. The derivative of $\cos^{-1}(2x^2 - 1)$ w.r.to $\cos^{-1}(x)$ is [] a) 2 b) $\frac{-1}{2\sqrt{1-x^2}}$ c) $\frac{2}{x}$ d) $1 - x^2$ 4. $\int e^{\tan x} \sec^2 x  dx =$ [] a) $e^{\tan x}$ b) $e^{\sin x}$ c) $\tan x$ d) $\sin x$ 5. If $2x + y = \begin{bmatrix} 1 & 0 \\ -3 & 2 \end{bmatrix}$ and $2x - y = \begin{bmatrix} 3 & 4 \\ -1 & 2 \end{bmatrix}$ then X is equal to [] a) $\begin{bmatrix} 4 & 4 \\ -4 & 4 \end{bmatrix}$ b) $\begin{bmatrix} 1 & 1 \\ -1 & 1 \end{bmatrix}$ c) $\begin{bmatrix} -1 & -2 \\ -1 & 0 \end{bmatrix}$ d) None of these 6. If $A = \begin{bmatrix} aij \end{bmatrix}_{mxn}$ such that $aij = 0$ for $i \neq j$ then A is [] a) a row matrix b) a column matrix c) a diagonal matrix d) a scalar matrix		a) 0 b) 1 c) 2 d) 4		
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4. $\int e^{\tan x} \sec^2 x  dx = \begin{bmatrix} 1 & 0 \\ -3 & 2 \end{bmatrix} \text{ and } x = \begin{bmatrix} 3 & 4 \\ -1 & 2 \end{bmatrix} \text{ then } X \text{ is equal to } \begin{bmatrix} 1 \\ 1 \end{bmatrix}$ 5. If $2x + y = \begin{bmatrix} 1 & 0 \\ -3 & 2 \end{bmatrix} \text{ and } 2x - y = \begin{bmatrix} 3 & 4 \\ -1 & 2 \end{bmatrix} \text{ then } X \text{ is equal to } \begin{bmatrix} 1 \\ 1 \end{bmatrix}$ a) $\begin{bmatrix} 4 & 4 \\ -4 & 4 \end{bmatrix} = b \begin{bmatrix} 1 & 1 \\ -1 & 1 \end{bmatrix} = c \begin{bmatrix} -1 & -2 \\ -1 & 0 \end{bmatrix} = d \text{ or } i \text{ then } A \text{ is } \begin{bmatrix} 1 \\ 1 \end{bmatrix}$ 6. If $A = \begin{bmatrix} aij \end{bmatrix}_{m_{XN}}$ such that $aij = 0$ for $i \neq j$ then $A$ is $\begin{bmatrix} 1 \\ 1 \end{bmatrix}$ a) a row matrix $b$ a column matrix $c$ a diagonal matrix $d$ a scalar matrix		a) 2 b) $\frac{-1}{2\sqrt{1-x^2}}$ c) $\frac{2}{x}$ d) 1- $x^2$		
a) $e^{\tan x}$ b) $e^{\sin x}$ c) $\tan x$ d) $\sin x$ 5. If $2x + y = \begin{bmatrix} 1 & 0 \\ -3 & 2 \end{bmatrix}$ and $2x - y = \begin{bmatrix} 3 & 4 \\ -1 & 2 \end{bmatrix}$ then X is equal to [] a) $\begin{bmatrix} 4 & 4 \\ -4 & 4 \end{bmatrix}$ b) $\begin{bmatrix} 1 & 1 \\ -1 & 1 \end{bmatrix}$ c) $\begin{bmatrix} -1 & -2 \\ -1 & 0 \end{bmatrix}$ d) None of these 6. If $A = \begin{bmatrix} aij \end{bmatrix}_{mxn}$ such that $aij = 0$ for $i \neq j$ then A is [] a) a row matrix b) a column matrix c) a diagonal matrix d) a scalar matrix	4.	$\int e^{\tan x} \sec^2 x  \mathrm{dx} =$	]	]
5. If $2x + y = \begin{bmatrix} 1 & 0 \\ -3 & 2 \end{bmatrix}$ and $2x - y = \begin{bmatrix} 3 & 4 \\ -1 & 2 \end{bmatrix}$ then X is equal to [] a) $\begin{bmatrix} 4 & 4 \\ -4 & 4 \end{bmatrix}$ b) $\begin{bmatrix} 1 & 1 \\ -1 & 1 \end{bmatrix}$ c) $\begin{bmatrix} -1 & -2 \\ -1 & 0 \end{bmatrix}$ d) None of these 6. If $A = \begin{bmatrix} aij \end{bmatrix}_{mxn}$ such that $aij = 0$ for $i \neq j$ then A is [] a) a row matrix b) a column matrix c) a diagonal matrix d) a scalar matrix		a) $e^{\tan x}$ b) $e^{\sin x}$ c) $\tan x$ d) $\sin x$		
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6. If $A = [aij]_{mxn}$ such that $aij = 0$ for $i \neq j$ then A is [] a) a row matrix b) a column matrix c) a diagonal matrix d) a scalar matrix		a) $\begin{bmatrix} 4 & 4 \\ -4 & 4 \end{bmatrix}$ b) $\begin{bmatrix} 1 & 1 \\ -1 & 1 \end{bmatrix}$ c) $\begin{bmatrix} -1 & -2 \\ -1 & 0 \end{bmatrix}$	d) None of th	nese
a) a row matrix b) a column matrix c) a diagonal matrix d) a scalar matrix	6.	If $A = [aij]_{max}$ such that $aij = 0$ for $i \neq j$ then A is	[	]
c) a diagonal matrix d) a scalar matrix		a) a row matrix b) a column matrix		
-)		c) a diagonal matrix d) a scalar matrix		
7. Which of the following is an renewable energy source []	7.	Which of the following is an renewable energy source	]	]
a) Coal b) Natural gas c) Solar d) Nuclear	-	a) Coal b) Natural gas c) Solar	d) Nuclear	-
8. What is the main purpose of Photovoltaic cells in solar panels	8.	What is the main purpose of Photovoltaic cells in solar panels		
a) Heat generation b) Electricity generation c) water purification d) Carbon capture 9 Which renewable energy source is harnessed from the earth's	9	a) Heat generation b) Electricity generation c) water p Which renewable energy source is harnessed from the earth's	urification d) Ca	irbon captune
Internal heat?	).	Internal heat?	ſ	1
a) Solar b) Wind c) Geothermal d) Hydro		a) Solar b) Wind c) Geothermal	d) Hvdro	1
10. What is the fundamental principle behind quantum mechanics []]	10.	What is the fundamental principle behind quantum mechanics	]	1
a) Classical Mechanics b) Quantum Superposition c) Newton law of motion d) Maxwell's equation		a) Classical Mechanics b) Quantum Superposition c) Newton	law of motion d)	Maxwell's equation
11. What is the primary application of proton therapy in medical physics? [ ]	11.	What is the primary application of proton therapy in medical ph	nysics? [	]
a) Diagnostic Imaging b) Radiation therapy c) Magnetic resonance Imaging		a) Diagnostic Imaging b) Radiation therapy c) Magnetic resona	ance Imaging	
d) Computed Tomography (C.T)		d) Computed Tomography (C.T)		
12. What is the primary advantage of using quantum dob in solar cells? [ ]	12.	What is the primary advantage of using quantum dob in solar co	ells? [	]
a) Low cost b) High efficiency		a) Low cost b) High efficiency	,	
c) Fast charging d) Large size		c) Fast charging d) Large size		
13.The Binding capacity between the drug and target is known as[	13.	The Binding capacity between the drug and target is known as	[	]
a) Virtual Screening b) Docking Score c) ADMET d) None		a) Virtual Screening b) Docking Score c) ADMET	d) None	_
14. The Increased sensitivity of Nanosensors is due to [ ]	14.	The Increased sensitivity of Nanosensors is due to	]	]
a) High Surface-to-volume ratio b) Low surface-to-volume ratio	15	a) High Surface-to-volume ratio b) Low surface-to-	-volume ratio	1
a) Co <sub>2</sub> b) No <sub>2</sub> c) So <sub>2</sub> d) CH <sub>4</sub>	15.	a) Co <sub>2</sub> b) No <sub>2</sub> c) So <sub>2</sub> d) CH <sub>4</sub>	L	]



16.	What is the Photo catalyst used in the dye renoval catalysis method	[	]
	a) Oxygen b) Hydrogen c) Titanium Oxide d) Zi	nc	
17.	Which phase of Shape memory alloy occurs at higher temperature & has a needl	e – like	structure
		ſ	1
	a) Martensite b) Austenite c) Hysterisis d) None	L	-
18.	The Pollutant causing Global warming	1	1
	a) $Co_2$ b) $So_2$ c) $No_2$ d) $O_3$	L	1
19.	In Quantum mechanics, the Schrodinger Equation is a fundamental Equation.	used	to model the
	behavior of particles What does the Schrodinger Equation describe	]	1
	a) Stability b) Wave-Particle duality	L	L
	c) Degidity d) Massive		
20	What is the term used to describe the process of using nano particles to enhance	imaging	techniques
20.	for medical diagnostics	nnag mg	1
	a) Nano Scony b) Nano Therany c) Nano Diagnose d) None of the	L	]
21	How can page medicine contribute to personalized medicine?	Г Г	1
21.	a) By increasing the cost of medical treatment	L	1
	a) By increasing the cost of incurcat freatment. b) By using a one size fits all approach		
	a) By tailoring based on an individual's genetic make up		
	d) By avoiding the use of advanced technologies		
าา	In radiation therapy. What does the term "brancy therapy" refer to	Г	1
<i>LL</i> .	a) External beam radiation therapy	L	1
	a) External beam radiation therapy b) Padjation therapy using photons		
	a) Internal radiation therapy involving the placement of radio active sources di	rootly y	vithin or
	close to the tumor	lectly w	
	d) Padiation therapy without the use of imaging		
22	What is the purpose of coordilation in the water treatment process?	г	1
23.	a) Removing dissolved minerals	L	]
	a) Removing dissolved innerals b) Disinteching water		
	a) Softling suspended porticels		
	d) Adjusting DH levels		
24	U) Adjusting FIT levels What is the nurness of green building design and construction?	г	1
24.	a) maximizing energy consumption	L	]
	a) maximizing energy consumption b) minimizing the use of sustainable materials		
	a) Paducing the environmental impact of huildings		
	d) Ignoring apergy - officient technologies		
25	U) Ignoring energy – enreicht technologies Hybrid system combine which two types of signals?	г	1
25.	a) Analog and Analog b) Digital and Digital a) Analog and Digital d) Co	L	and Finita
26	Which error detection technique can detect a wide range of errors including burs	t errors	and most
20.	multiple bits	t chions	and most
	a) Hamming code b) Read-Solomon code c) Parity check d		
27	Which layer of the OSI model does a router operate at	) CKC	r ı
27.	a) Transport layer b) Network layer c) Transport layer d) I	Data lin'	L J klaver
28	What technology allows DSL modems to separate voice and data signals	Jata IIII	K layer
20.	a) Dail-up modem (b) DSL modem (c) Wireless modem	d) C	able modem
	Ans b) DSL modem	u) Ca	
20	What protocol do bridges use to prevent network loops?	г	1
<i>_)</i> .	a) Internet Protocol b) Transmission Control Protocol (TCP)	L	1
	c) Simple Network Management Protocol (SNMP) d) Spanning Tree Protocol (	STP)	
30	The hetween two words is the number of difference between correspondent	onding 1	nits
50.	a) Hamming code b) Hamming distance	ا عسماند آ	]
	c) Hamming rule d) Hamming distance	L	Ţ



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#### ADIKAVI NANNAYA UNIVERSITY: RAJMAHENDRAVARAM B.Sc. Honours Course Syllabus (Single Major) (w.e.f:2023-24A.B)

#### SECTION – B

10x1=10M

- 1. Tidal energy is an Example for \_\_\_\_\_\_ energy.
- 2. \_\_\_\_\_ are the particles used in quantum dots.
- 3. Expand CADD \_\_\_\_\_

**Fill in the Blanks** 

4. First step in the purification of water \_\_\_\_\_

5. \_\_\_\_\_\_ is an application for Medical Physics.

- 6. MRI stands for \_\_\_\_\_
- 7.  $\int e^x \sin x \cos x \, dx = \underline{\qquad}.$

8. Equation of the lines through the point (3, 2) and making an angle of  $45^{\circ}$  with the line x-2y = 3 are

- 9. A computer understands only ..... code
- 10. ..... converts audio and video into digital information

## <u>SECTION – C</u>

## III Answer the following Questions

10x1=10M

10x1=10M

- 1. Give some Examples for renewable sources?
- 2. Information stored in quantum computer in the form of?
- 3. What is the difference between MRI and C.T. Scan?
- 4. Name two applications of Nanotechnology?
- 5. Solid waste Management? (SWM)
- 6. Expand ADMET

7. 
$$x \xrightarrow{L_t} 0 \frac{ax + x \cos x}{b \sin x}$$
; Evaluate

- 8. Evaluate  $\int x (\log x)^2 dx$
- 9. What are the key design issues of the computer networks?
- 10. What is multiplexing?

## <u>SECTION – D</u>

Ш Match the following 1. A. Wind energy B. Solar energy ( C. Minamata ( D. Ni-Ti wire E. Magnetic Resonance Imaging ( 2. A. Fluoroscene microscopy ( B.  $\begin{bmatrix} 3 & -4 \\ m & 5 \end{bmatrix} = 3$  then m value is ( C.  $\frac{d}{dx} [\log(\sec x + \tan x)]$ ( D. 11110001 E. Ethernet cable (

)	a) Orthodontic applications
)	b) Non invasile imaging
)	c) Harness the kinetic energy of
	wind to produce electricity
)	d) Convert sunlight into electricity
)	e) Mercury
)	a) 3
)	b) Moniterity cellular
)	c) F1
) )	<ul><li>d) Guided media</li><li>e) (secx)</li></ul>



## <u>SECTION – E</u>

## IV True (or) False

10x1=10M

- 1. Quantum dots are the nano particles, are primarily used for structural Reintor cement in medical implants?
- 2. Quantum mechanics is a branch of physics Extensively used mathematical Models, to describe the behavior of particles at atomic and subatomic level.
- 3. The Mass of a body is equivalent to the ratio of the force action on it to the acceleration it generates.
- 4. The region of the atmosphere above troposphere is known as Lithosphere.
- 5. Essential Amino acids can be synthesized by the human body
- 6. Electrons fill the lowest energy levels first
- 7. The equation of a line with slope m and making an intercept c on y axis is y=mx
- 8. Intercept form of a line which cuts a and b respectively on the x and y axis

Then  $\frac{x}{a} + \frac{y}{b} = 1$ 

- 9. A university would use a CAN to converts its composes in two cities.
- 10. Gateway device is operate at transport layer.



## **Programme: B.Sc. Honours in Statistics (Major)**

#### SEMESTER – II

## **COURSE STRUCTURE**

Semester	Course	Title of the Course	No. of Hrs /Week	No. of Credits
	3	Descriptive Statistics	3	3
		Descriptive Statistics Practical Course	2	1
II	4	Random Variables & Mathematical Expectations	3	3
	4 -	Random Variables & Mathematical Expectations Practical Course	2	1



ADIKAVI NANNAYA UNIVERSITY: RAJMAHENDRAVARAM Single Major Single Major B.Sc Statistics (w.e.f:2023-24A.B)

## SEMESTER-II COURSE 3: DESCRIPTIVE STATISTICS

#### Theory

Credits: 3

3 hrs/week

## I. Learning Outcomes

After successful completion of the course students will be able to:

- 1. To acquaint with the role of statistics in different fields with special reference to business and economics.
- 2. To review good practice in presentation and the format most applicable to their own data.
- 3. To learn the measures of central tendency or averages reduce the data to a single value which is highly useful for making comparative studies.
- 4. To familiar with the measures of dispersion throw light on reliability of average and control of variability.
- 5. To deal with the situation where there is uncertainty and to measure that uncertainty by using the probability, which is essential in all research areas.

#### II. Syllabus

#### Unit - 1: Statistical Description of Data

Origin, history and definitions of Statistics. Importance, Scope and limitations Statistics. Function of Statistics – Collection, Presentation, Analysis and Interpretation. Collection of data - primary and secondary data and its methods. Classification of data – Quantitative, Qualitative, Temporal, Spatial. Presentation of data – Textual, Tabular – essential parts.

#### **Unit – 2:**

Measurement Scales – Nominal, Ordinal, Ratio and Interval. Frequency distribution and types of frequency distributions, forming a frequency distribution. Diagrammatic representation of data – Historiagram, Bar, Multiple bar and Pie with simple problems. Graphical representation of data: Histogram, frequency polygon and Ogives with simple problems.

#### Unit – 3: Measures of Central Tendency (MCT)

Arithmetic Mean – properties, methods. Median, Mode, Geometric Mean (GM), Harmonic Mean (HM). Calculation of mean, median, mode, GM and HM for grouped and ungrouped data. Median and Mode through graph. Empirical relation between mean, media and mode. Features of good average.

#### **Unit – 4: Measures of Dispersion**

Concept and problems – Range, Quartile Deviation, Mean Deviation and Standard Deviation, Variance. Central and Non – Central moments and their interrelationship. Sheppard's correction for moments. Skewness and its methods, kurtosis.

#### **Unit – 5: Elementary Probability**

Basic Concepts of Probability, random experiments, trial, outcome, sample space, event, mutually exclusive and exhaustive events, equally likely and favourable outcomes. Mathematical, Statistical, axiomatic definitions of probability. Conditional Probability and independence of events, Addition and multiplication theorems of probability for 2 and for n events and simple problems. Boole's inequality, Bayes theorem and its applications in real life problems.



ADIKAVI NANNAYA UNIVERSITY: RAJMAHENDRAVARAM Single Major Single Major B.Sc Statistics (w.e.f:2023-24A.B)

## SEMESTER-II COURSE 3: DESCRIPTIVE STATISTICS

Practical

#### Credits: 1

2 hrs/week

#### **Syllabus**

- 1. Writing a Questionnaire in different situations.
- 2. Forming a grouped and ungrouped frequency distribution table.
- 3. Diagrammatic presentation of data Bar, multiple Bar and Pie.
- 4. Graphical presentation of data Histogram, frequency polygon, Ogives.
- 5. Computation of measures of central tendency Mean, Median and Mode.
- 6. Computation of measures of dispersion Q.D., M.D and S.D.
- 7. Computation of non-central, central moments,  $\beta_1$  and  $\beta_2$  for ungrouped data.
- 8. Computation of non-central, central moments,  $\beta_1$  and  $\beta_2$  and Sheppard's corrections for grouped data.
- 9. Computation of Karl Pearson's and Bowley's Coefficients of Skewness.

**Note:** Training shall be on establishing formulae in Excel cells and derive the results. The excel output shall be exported to MS word for writing inference.

## III. References

- 1. S. C. Gupta & V. K. Kapoor: Fundamentals of Mathematical Statistics, Sultan Chand & Sons, New Delhi.
- 2. O. P. Gupta: Mathematical Statistics, Kedar nath Ram nath & Co.
- 3. P. N. Arora & S. Arora: Quantitative Aptitude Statistics Vol II, S. Chand & Company Ltd.
- 4. K. Rohatgi & Ehsanes Saleh: An Introduction to Probability and Statistics, John Wiley & Sons.

## IV. Suggested Co-curricular Activities:

- 1. Training of students by related industrial experts
- 2. Assignments including technical assignments if any.
- 3. Seminars, Group Discussions, Quiz, Debates etc. on related topics.
- 4. Preparation of audio and videos on tools of diagrammatic and graphical representations.
- 5. Collection of material/figures/photos/author photoes of related topics.
- 6. Invited lectures and presentations of stalwarts to those topics.
- 7. Visits/field trips of firms, research organizations etc.



## SEMESTER-II COURSE 4: RANDOM VARIABLES AND MATHEMATICAL EXPECTATIONS

Theory	Credits: 3	3 hrs/week

## I. Learning Outcomes

After successful completion of the course students will be able to:

- 1. To acquaint with the role of statistics in dealing with the univariate random variables.
- 2. To learn the extension of the univariate data to bivariate data.
- 3. To learn the measure of randomness mathematically by using expectations.
- 4. To get the familiarity about the generating functions, law of large numbers and central limit theorem, further to apply in research and allied fiends.

#### II. Syllabus

#### **Unit – 1: Univariate Random Variables**

Definition of random variable (r.v.), discrete and continuous random variables, functions of random variable. Probability mass function, Probability density function, Distribution function and itsproperties. Calculation of moments, coefficient of skewness and kurtosis for a given pmf and pdf.

#### **Unit – 2: Bivariate Random Variables**

Bivariate random variable - meaning, joint, marginal and conditional Distributions, independence of random variables and simple problems.

#### **Unit – 3: Mathematical Expectation**

Mathematical expectation of function a random variable. Moments and covariance using mathematical expectation with examples. Addition and Multiplication theorems on expectation. Properties of expectations, variance, covariance. Chebyshev and Cauchy - Schwartz inequalities and their applications

#### **Unit – 4: Generating functions**

Definitions of Moment Generating Function, Cumulant Generating Function, Characteristic Function and Probability Generating Function and their properties. Weak Law of Large Numbers (WLLN), Strong Law of Large Numbers (SLLN).

#### **Unit – 5: Limit Theorems**

Concept – Population, Sample, Parameter, statistic, Sampling distribution, Standard error. Convergence in probability and convergence in distribution, concept of Central limit theorem. Lindberg – Levy CLT and its applications, Statement of Lyapunov's CLT, relationship between CLT and WLLN.



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## SEMESTER-II

## **COURSE 4: RANDOM VARIABLES AND MATHEMATICAL EXPECTATIONS**

Practical

Credits: 1

2 hrs/week

#### **Syllabus**

- 1. Calculation of moments of univariate random variable to the given pmf.
- 2. Calculation of coefficient of skewness and kurtosis of univariate random variable to the given pmf.
- 3. Calculation of moments of univariate random variable to the given pdf.
- 4. Calculation of coefficient of skewness and kurtosis of univariate random variable to the given pdf.
- 5. Problem related to jpmf, mpmf and conditional pmf and its independence.
- 6. Problem related to jpdf, mpdf and conditional pdf and its independence.
- 7. Chebyshev's inequality application oriented problems.

## III. References

- 1. S. C. Gupta & V. K. Kapoor: Fundamentals of Mathematical Statistics, Sultan Chand & Sons, New Delhi.
- 2. O. P. Gupta: Mathematical Statistics, Kedar nath Ram nath & Co.
- 3. P. N. Arora & S. Arora: Quantitative Aptitude Statistics Vol II, S. Chand & Company Ltd.
- 4. K. Rohatgi & Ehsanes Saleh: An Introduction to Probability and Statistics, John Wiley & Sons.

## IV. Suggested Co-curricular Activities:

- 1. Training of students by related industrial experts
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## Single Major SEMESTER-II B.Sc STATISTICS

## **DESCRIPTIVE STATISTICS**

Time:3hrs

MAX MARKS: 70 M

#### Section - A

Answer any 5 questions. Each question carries 4 marks.

- 1. Distinguish between questionnaire and schedule.
- 2. Explain about Measurement Scales.
- 3. What are the characteristics of a good measure of dispersion?
- 4. The mean of the following distribution is 50

X	10	30	50	70	90
F	17	5a+3	32	7a-11	19

Find value of "a".

- 5. State and prove Addition theorem of probability for 2 Events.
- 6. Define a) Probability b) Random Experiments c) Outcome d) Sample Space e) Event.
- 7. What is Presentation of data? Write their types?
- 8. Write a short notes on Graphical representation of data and its types?

#### Section - B

Answer all the questions. Each question carries 10 marks. (5

9. a) Define collection of data. Write types of Primary data and with their merits and demerits ?

(OR)

b) What is Tabulation of data? Discuss objectives of the tabulation and explain various kinds of tables. 10. a) Explain about Histogram and Bar diagram.

(OR)

b) How to make a frequency table to the following data.

Ages of High school Teachers (years)

- 23 51 42 52 29 35 33 36 46 59 45 28 31 62 50
  - 47 26 65 24 32 38 41 35 45 56 50 44 38 43
- 11. a) Explain various measures of central Tendency. What are their merits and demerits ?

(OR)

b) Find Median to the following data.

ass Interval	-50	-60	-70	-80	-90
equency					

12. a) Explain various Measures of dispersion. What are the merits and demerits?

## (OR)

b) Define central and Non- central Moments. Derive central moments interms of Non- central moments and vice – versa.

13. a) State and Prove Baye's Theorem.

## (OR)

b) The contents of urns I,II and III are as follows :

- Urns I: 1 white, 2 blacks and 3 red balls
- Urns I: 2 white , 1 blacks and 1 red balls
- Urns I: 4 white , 5 blacks and 3 red balls

One urn is chosen at random and two balls are drawn, they happen to

be white and red . Find the probability that they come from urns I,II or III.

(5\*10= 50 M)

(5\*4=20 M)



## **Single Major SEMESTER-II B.Sc STATISTICS**

## RANDOM VARIABLES AND MATHEMATICAL EXPECTATIONS

Time:3hrs Section - A Answer any 5 questions. Each question carries 4 marks. (5\*4=20 M)1. Define random variable and write their types. 2. Explain Bivariate Random Variable. 3. Define Exponential Distribution with its properties. 4. Define moments Generating Function and Explain its properties. 5. Write relationship between CLT and WLLN. 6. State and Prove Cauchy – Schwartz inequality.

- 7. Define Cumulant Generating function and Explain its properties.
- 8. The bivariate probability distribution of X and Y is given below. Find (i) Marginal Distribution of X and Y.

X			
	5	5	.5
	5	5	5
	5	5	5

## Section - B

(5\*10=50 M)

Answer all the questions. Each question carries 10 marks.

9. a) Explain discrete and continuous random variables and Explain the concept the probability mass function and Probability density function?

(()R	
(OI)	-

b) A random variable X has the following probability function.

V)	)	-		
<b>((</b> )	·	-	,	

Find (i) K (ii) Mean and Variance (iii) construct distribution function.

10. a) Explain joint, marginal and conditional distribution function and what are its properties.

#### (OR)

b) The joint probability function of X and Y is given by

P(X,Y) = 1/36(X+Y)

Find (i) Marginal distribution of X and Y.

(ii) Conditional distribution of X Given Y.

11. a) State and Prove Chebychev's Inequality?

#### (OR)

b) Let X and Y have the following probability distribution.

X Y	1	2
1	1/8	3/8
2	1/4	1⁄4

Verify the Chauchy 12. a) Explain the properties.

- Schwartz's inequality. probability generating function and their

(OR)

b) Explain weak law of large number.

MAX MARKS: 70 M



#### ADIKAVI NANNAYA UNIVERSITY: RAJMAHENDRAVARAM Single Major Single Major B.Sc Statistics (w.e.f:2023-24A.B)

13. a) Obtain the standard error of difference of sample proportions.

(OR)

b) Sampling distribution of sum of observation from Binomial distribution.